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AN IMAGE IS WORTH 16x16 WORDS: TRANSFORMERS FOR IMAGE RECOGNITION AT SCALE

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ABSTRACT

While the Transformer architecture has become the de-facto standard for natural language processing tasks, its applications to computer vision remain limited. In vision, attention is either applied in conjunction with convolutional networks, or used to replace certain components of convolutional networks while keeping their overall structure in place. We show that this reliance on CNNs is not necessary and a pure transformer applied directly to sequences of image patches can perform very well on image classification tasks. When pre-trained on large amounts of data and transferred to multiple mid-sized or small image recognition benchmarks (ImageNet, CIFAR-100, VTAB, etc.), Vision Transformer (ViT) attains excellent results compared to state-of-the-art convolutional networks while requiring substantially fewer computational resources to train.

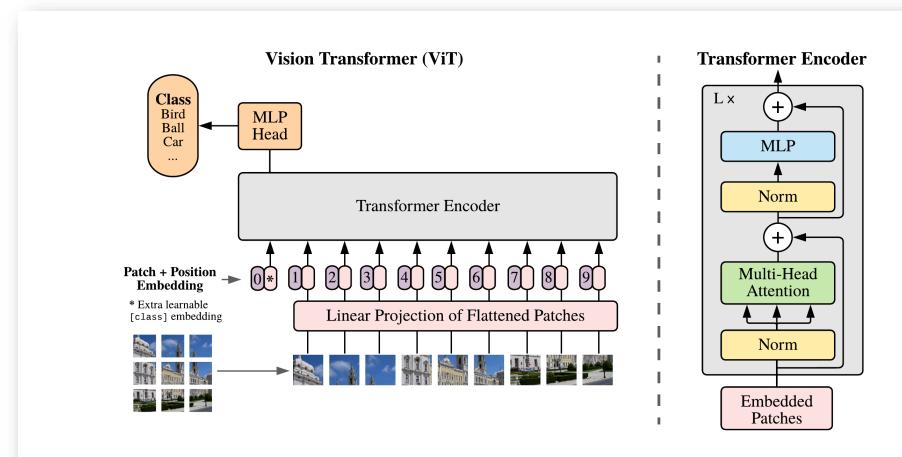


Figure 1: Model overview. We split an image into fixed-size patches, linearly embed each of them, add position embeddings, and feed the resulting sequence of vectors to a standard Transformer encoder. In order to perform classification, we use the standard approach of adding an extra learnable "classification token" to the sequence. The illustration of the Transformer encoder was inspired by Vaswani et al. (2017).

High Level Overview

 in general (not only for ViT) we create a network from blocks that consists of several layers

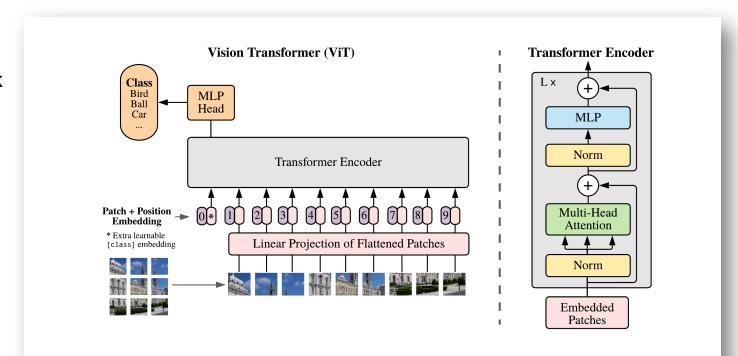


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- e.g. inception blocks, residual blocks, transformer encoder blocks
- what is input for these models (blocks)?

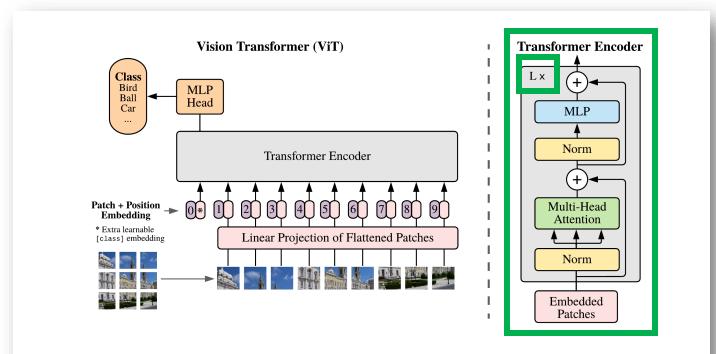


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High Level Overview

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- what is input for these models (blocks)?
- In the case of CNN, we use raw images
- In the case of ViT, we use fixed size patches

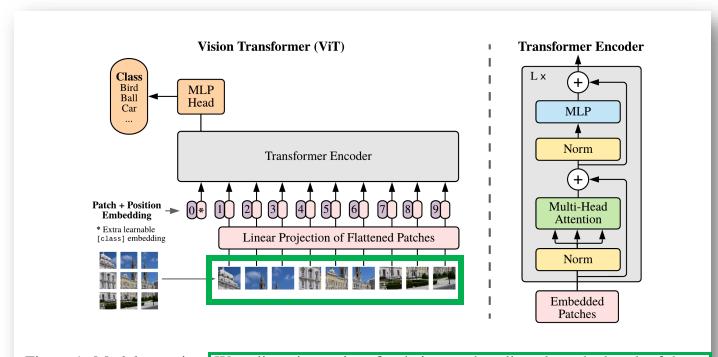


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Step 1 - Input

- transform image into 16 x 16 size (patches)
- embed each patch into 768 dimension
- i.e. one patch can be described with 1 x 768 values
- In the case that we have 196 patches with size of 16 x 16, we obtain [14, 14, 768] tensor
- with the use of flatten, we obtain [196, 768] matrix

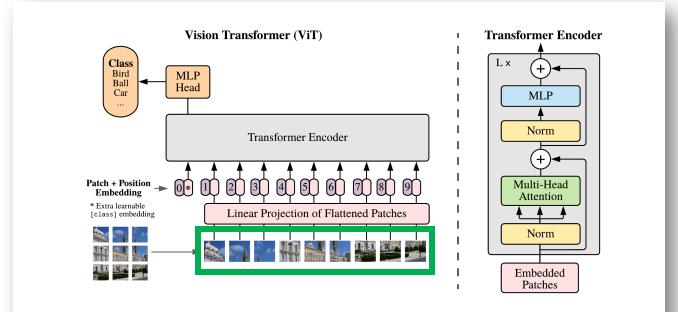


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| Model | Layers | Hidden size D | MLP size | Heads | Params |
|-----------|--------|-----------------|----------|-------|--------|
| ViT-Base | 12 | 768 | 3072 | 12 | 86M |
| ViT-Large | 24 | 1024 | 4096 | 16 | 307M |
| ViT-Huge | 32 | 1280 | 5120 | 16 | 632M |

Table 1: Details of Vision Transformer model variants.

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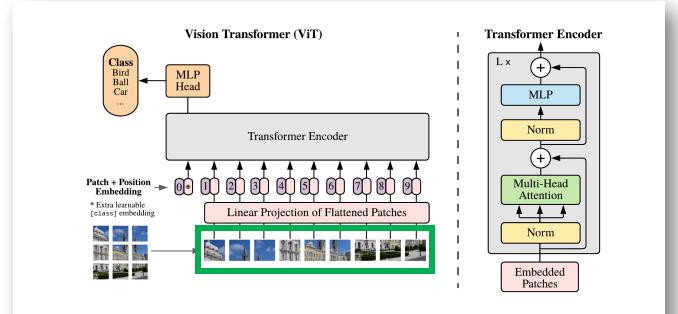


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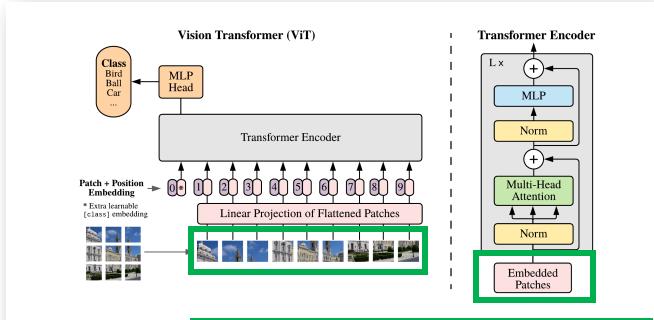


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$$\mathbf{z}_{0} = [\mathbf{x}_{\text{class}}; \mathbf{x}_{p}^{1}\mathbf{E}; \mathbf{x}_{p}^{2}\mathbf{E}; \cdots; \mathbf{x}_{p}^{N}\mathbf{E}] + \mathbf{E}_{pos}, \qquad \mathbf{E} \in \mathbb{R}^{(P^{2} \cdot C) \times D}, \quad \mathbf{E}_{pos} \in \mathbb{R}^{(N+1) \times D}$$

$$\mathbf{z}'_{\ell} = \text{MSA}(\text{LN}(\mathbf{z}_{\ell-1})) + \mathbf{z}_{\ell-1}, \qquad \ell = 1 \dots L$$

$$\mathbf{z}_{\ell} = \text{MLP}(\text{LN}(\mathbf{z}'_{\ell})) + \mathbf{z}'_{\ell}, \qquad \ell = 1 \dots L$$

$$\mathbf{y} = \text{LN}(\mathbf{z}_{L}^{0})$$

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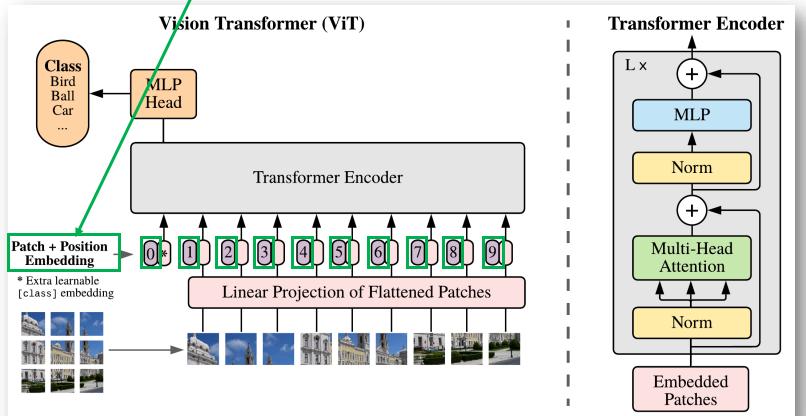
$$\mathbf{z}_{0} = [\mathbf{x}_{\text{class}}; \, \mathbf{x}_{p}^{1}\mathbf{E}; \, \mathbf{x}_{p}^{2}\mathbf{E}; \cdots; \, \mathbf{x}_{p}^{N}\mathbf{E}] + \mathbf{E}_{pos}, \qquad \mathbf{E} \in \mathbb{R}^{(P^{2} \cdot C) \times D}, \, \mathbf{E}_{pos} \in \mathbb{R}^{(N+1) \times D}$$

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$$\mathbf{y} = \text{LN}(\mathbf{z}_{L}^{0}) \qquad \qquad \mathbf{vision Transformer (ViT)} \qquad \qquad \mathbf{Transformer Encoder}$$

$$(4)$$



$$\mathbf{z}_0 = [\mathbf{x}_{\mathrm{class}}; \ \mathbf{x}_p^1 \mathbf{E}; \ \mathbf{x}_p^2 \mathbf{E}; \cdots; \ \mathbf{x}_p^N \mathbf{E}] + \mathbf{E}_{pos},$$

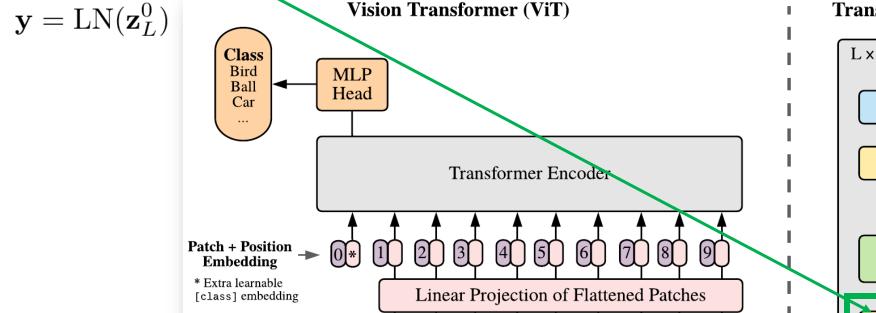
$$\mathbf{E} \in \mathbb{R}^{(P^2 \cdot C) \times D}, \, \mathbf{E}_{pos} \in \mathbb{R}^{(N+1) \times D}$$
 (1)

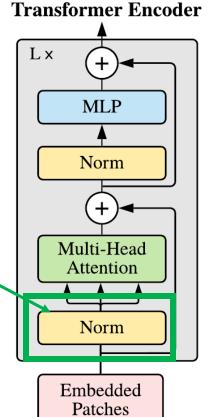
$$\mathbf{z}'_{\ell} = \text{MSA}(\mathbf{LN}(\mathbf{z}_{\ell-1})) + \mathbf{z}_{\ell-1},$$

$$\ell = 1 \dots L \tag{2}$$

$$\mathbf{z}_{\ell} = \text{MLP}(\text{LN}(\mathbf{z'}_{\ell})) + \mathbf{z'}_{\ell},$$

$$\ell = 1 \dots L$$





(3)

(4)

 $\mathbf{z}_0 = [\mathbf{x}_{\text{class}}; \, \mathbf{x}_p^1 \mathbf{E};$ $\mathbf{z'}_{\ell} = \mathrm{MSA}[\mathrm{LN}](\mathbf{z}_{\ell})$ $\mathbf{z}_{\ell} = \mathrm{MLP}(\mathrm{LN}(\mathbf{z}'_{\ell}))$ $\mathbf{y} = \mathrm{LN}(\mathbf{z}_L^0)$

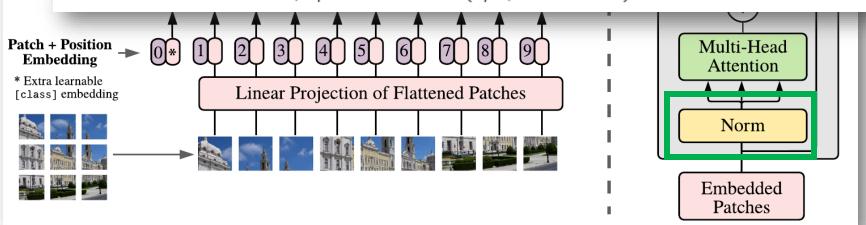
torch.nn.LayerNorm(normalized_shape, eps=1e-05, elementwise_affine=True, bias=True, device=None, dtype=None) [SOURCE]

Applies Layer Normalization over a mini-batch of inputs.

This layer implements the operation as described in the paper Layer Normalization

$$y = \frac{x - \mathrm{E}[x]}{\sqrt{\mathrm{Var}[x] + \epsilon}} * \gamma + \beta$$

The mean and standard-deviation are calculated over the last D dimensions, where D is the dimension of normalized_shape. For example, if normalized_shape is (3, 5) (a 2-dimensional shape), the mean and standarddeviation are computed over the last 2 dimensions of the input (i.e. input.mean((-2, -1))). γ and β are learnable affine transform parameters of normalized_shape if elementwise_affine is True. The standard-deviation is calculated via the biased estimator, equivalent to torch.var(input, unbiased=False).



$$\mathbf{z}_0 = [\mathbf{x}_{\mathrm{class}}; \ \mathbf{x}_p^1 \mathbf{E}; \ \mathbf{x}_p^2 \mathbf{E}; \cdots; \ \mathbf{x}_p^N \mathbf{E}] + \mathbf{E}_{pos},$$

$$\mathbf{E} \in \mathbb{R}^{(P^2 \cdot C) \times D}, \, \mathbf{E}_{pos} \in \mathbb{R}^{(N+1) \times D} \tag{1}$$

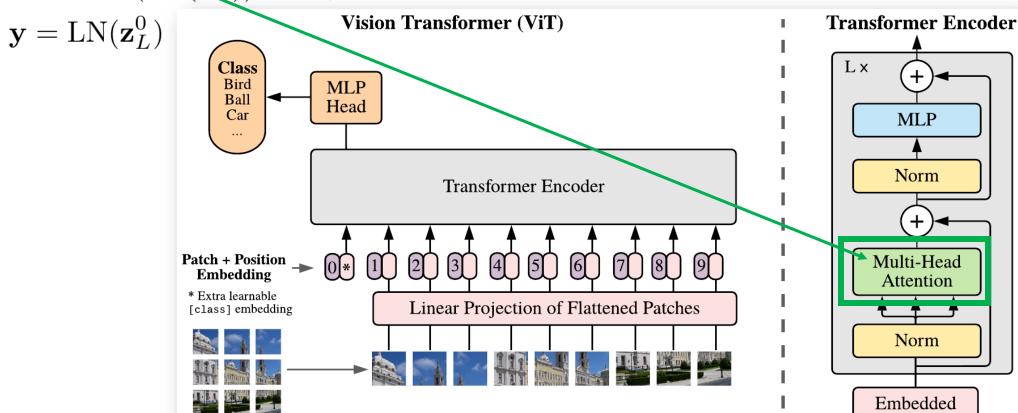
$$\mathbf{z'}_{\ell} = MSA(LN(\mathbf{z}_{\ell-1})) + \mathbf{z}_{\ell-1},$$

$$\ell = 1 \dots L \tag{2}$$

Patches

$$\mathbf{z}_{\ell} = \text{MLP}(\text{LN}(\mathbf{z}'_{\ell})) + \mathbf{z}'_{\ell},$$

$$\ell = 1 \dots L$$



(4)

(3)

MultiheadAttention

CLASS torch.nn.MultiheadAttention(embed_dim, num_heads, dropout=0.0, bias=True, add_bias_kv=False, add_zero_attn=False, kdim=None, vdim=None, batch_first=False, device=None, dtype=None) [SOURCE]

Allows the model to jointly attend to information from different representation subspaces.

Method described in the paper: Attention Is All You Need.

Multi-Head Attention is defined as:

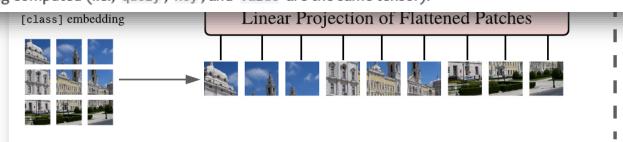
$$MultiHead(Q, K, V) = Concat(head_1, ..., head_h)W^O$$

where $head_i = Attention(QW_i^Q, KW_i^K, VW_i^V)$.

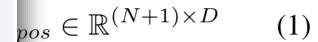
nn.MultiHeadAttention will use the optimized implementations of scaled_dot_product_attention() when possible.

In addition to support for the new scaled_dot_product_attention() function, for speeding up Inference, MHA will use fastpath inference with support for Nested Tensors, iff:

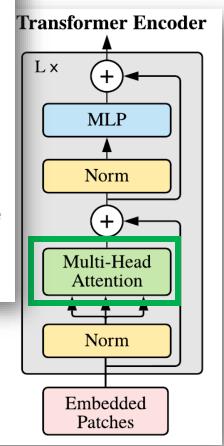
• self attention is being computed (i.e., query, key, and value are the same tensor).



sformer)



- (2)
- (3)
- (4)



MULTIHEAD SELF-ATTENTION

Standard qkv self-attention (SA, Vaswani et al. (2017)) is a popular building block for neural architectures. For each element in an input sequence $\mathbf{z} \in \mathbb{R}^{N \times D}$, we compute a weighted sum over all values v in the sequence. The attention weights A_{ij} are based on the pairwise similarity between two elements of the sequence and their respective query \mathbf{q}^i and key \mathbf{k}^j representations.

$$[\mathbf{q}, \mathbf{k}, \mathbf{v}] = \mathbf{z} \mathbf{U}_{qkv} \qquad \qquad \mathbf{U}_{qkv} \in \mathbb{R}^{D \times 3D_h}, \tag{5}$$

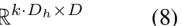
$$A = \operatorname{softmax}\left(\mathbf{q}\mathbf{k}^{\top}/\sqrt{D_h}\right) \qquad A \in \mathbb{R}^{N \times N}, \tag{6}$$

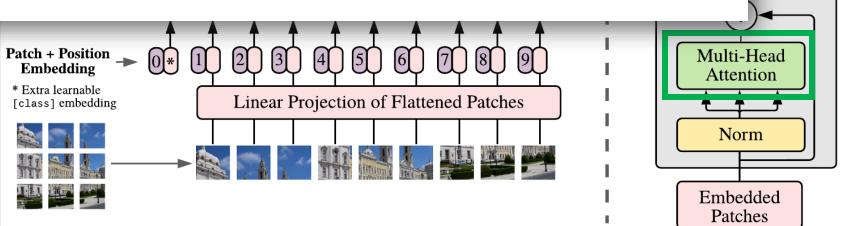
$$SA(\mathbf{z}) = A\mathbf{v}. \tag{7}$$

Multihead self-attention (MSA) is an extension of SA in which we run k self-attention operations, called "heads", in parallel, and project their concatenated outputs. To keep compute and number of parameters constant when changing k, D_h (Eq. 5) is typically set to D/k.

$$MSA(\mathbf{z}) = [SA_1(z); SA_2(z); \cdots; SA_k(z)] \mathbf{U}_{msa}$$

$$\mathbf{U}_{msa} \in \mathbb{R}^{k \cdot D_h imes D}$$







er Encoder

$$(N+1)\times D$$
 (1)





$$\mathbf{z}_0 = [\mathbf{x}_{ ext{class}}; \, \mathbf{x}_p^1 \mathbf{E}; \, \mathbf{x}_p^2 \mathbf{E}; \cdots; \, \mathbf{x}_p^N \mathbf{E}] + \mathbf{E}_{pos}, \qquad \mathbf{E} \in \mathbb{R}^{(P^2 \cdot C)}$$

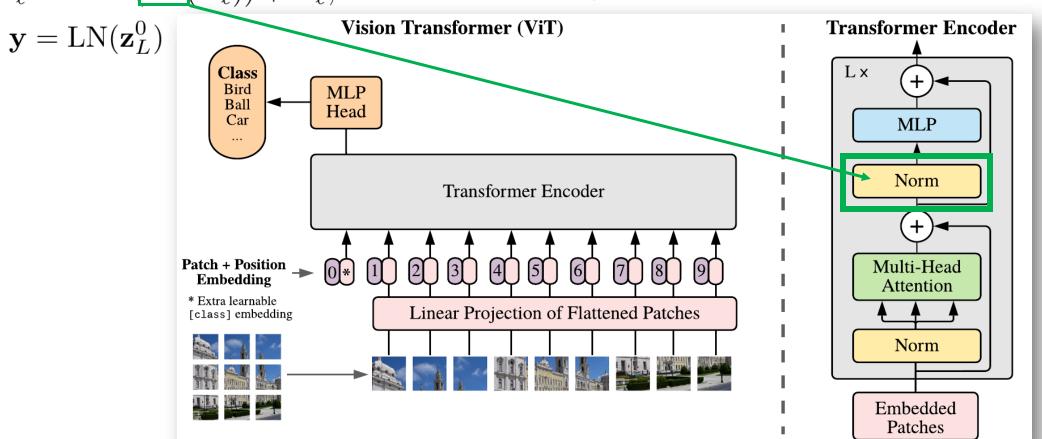
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 (1)

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(2)

(3)

(4)

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 (4)
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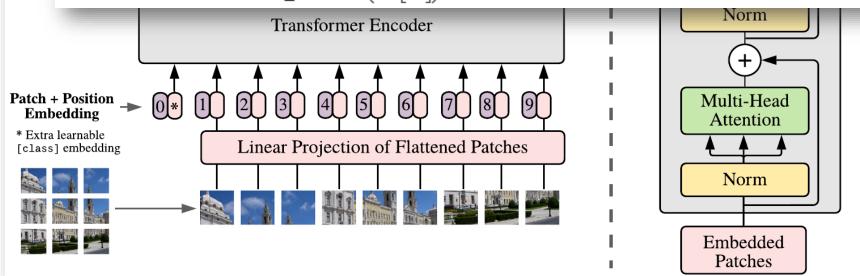
Patches

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This block implements the multi-layer perceptron (MLP) module.

Parameters:

- in_channels (int) Number of channels of the input
- hidden_channels (List[int]) List of the hidden channel dimensions



The Transformer encoder (Vaswani et al. 2017) consists of alternating layers of multiheaded self-attention (MSA, see Appendix A) and MLP blocks (Eq. 2 3). Layernorm (LN) is applied before every block, and residual connections after every block (Wang et al. 2019; Baevski & Auli 2019).

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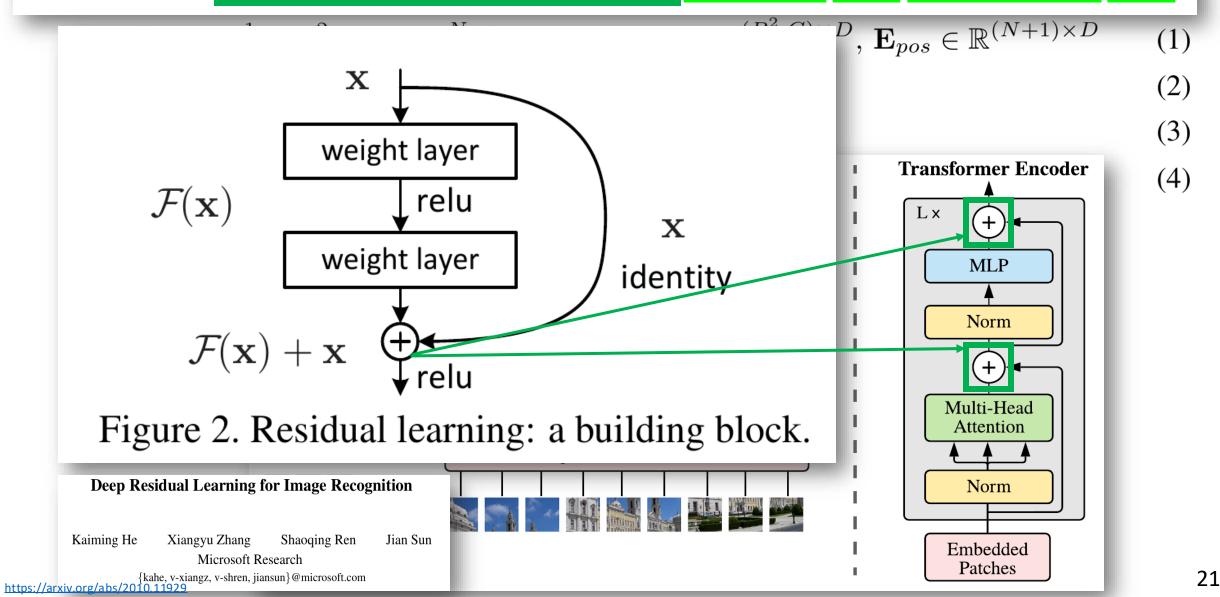
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$$\mathbf$$

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https://arxiv.org/abs/1512.03385

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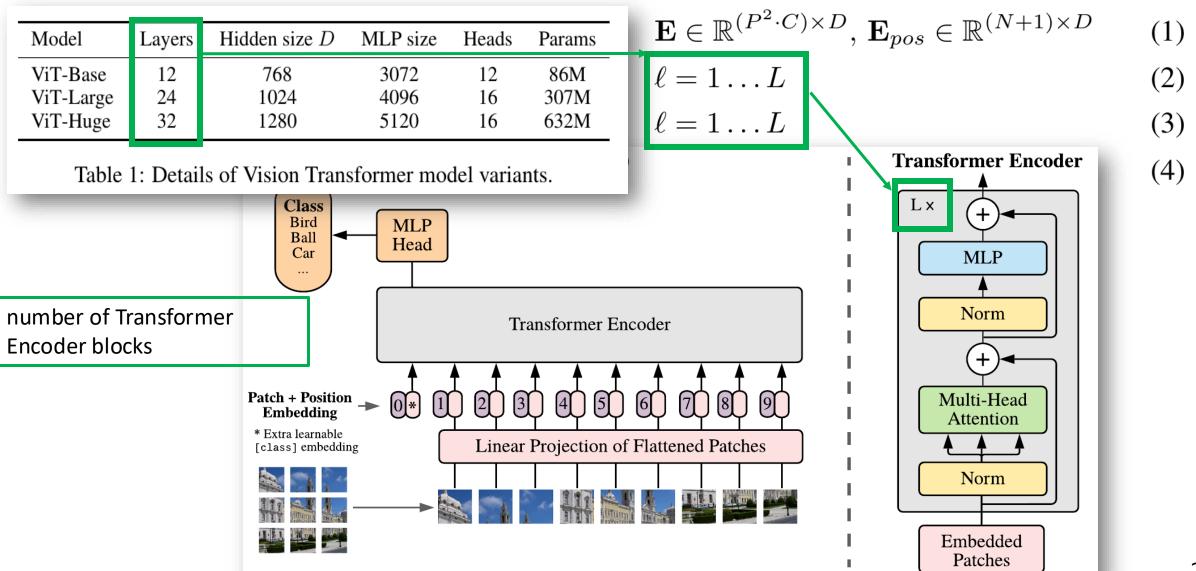
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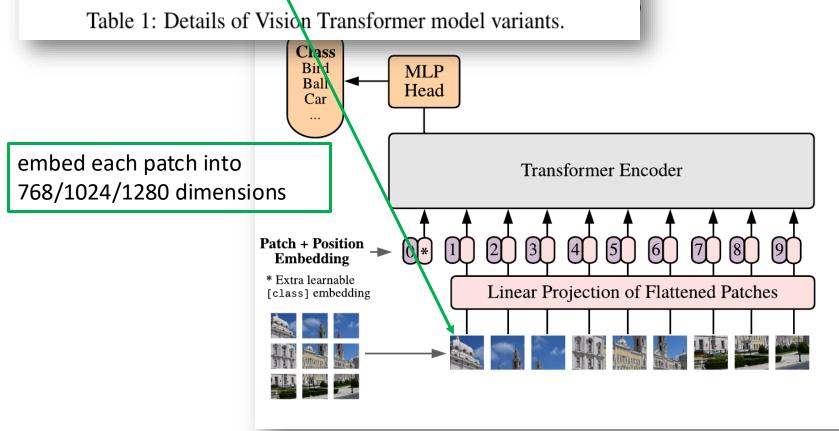


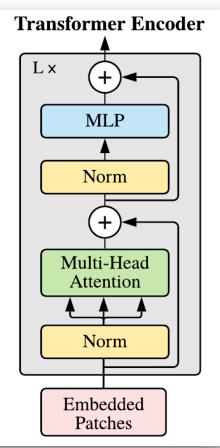
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 (1)

$$\ell = 1 \dots L \tag{2}$$

$$\ell = 1 \dots L \tag{3}$$





(4)

8

Linear Projection of Flattened Patches

| Model | Layers | Hidden size D | MLP size | Heads | Params |
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$$\ell = 1 \dots L \tag{3}$$



Bird

Ball

* Extra learnable

[class] embedding

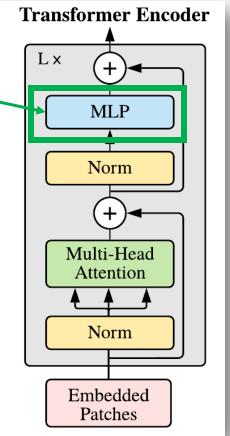
Number of hidden units in MLP block

Patch + Position Embedding

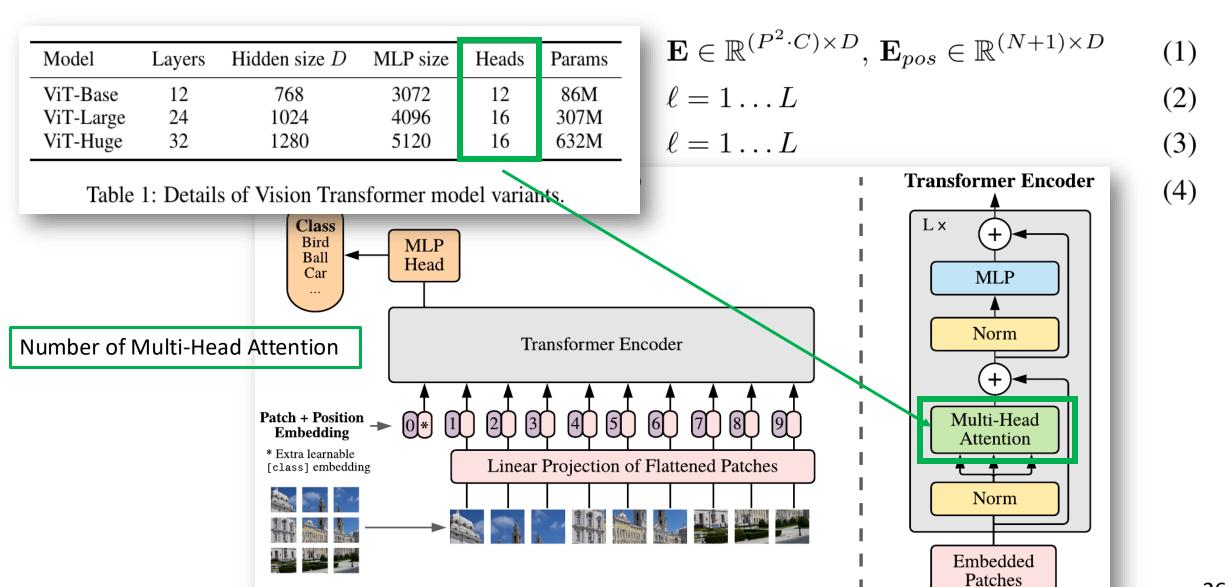
Head

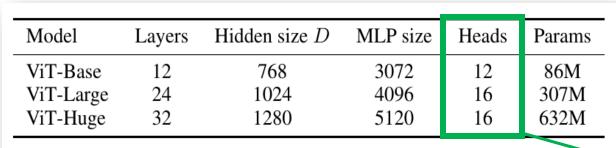
Transformer Encoder

MLP



(4)







$$\ell = 1$$

$$\ell = 1$$

Table 1: Details of Vision Transformer model variants.

Class Bird **MLP** Ball Head Car

Number of Multi-Head Attention

Attention Is All You Need

Ashish Vaswani* Google Brain avaswani@google.com

Llion Jones*

Google Research

llion@google.com

Noam Shazeer* Google Brain noam@google.com

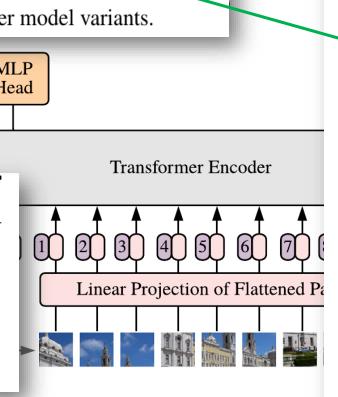
Niki Parmar* Google Research nikip@google.com

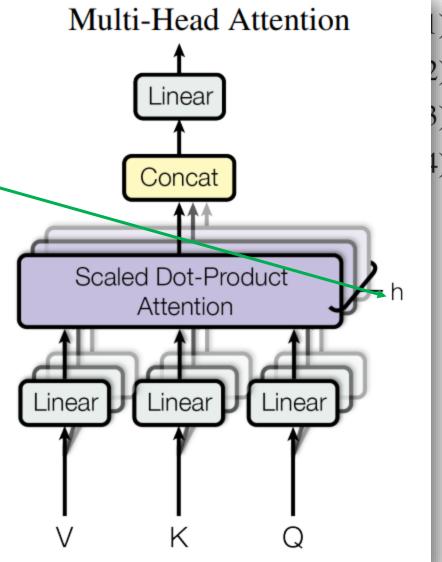
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| Model | Layers | Hidden size D | MLP size | Heads | Params |
|-----------|--------|-----------------|----------|-------|--------|
| ViT-Base | 12 | 768 | 3072 | 12 | 86M |
| ViT-Large | 24 | 1024 | 4096 | 16 | 307M |
| ViT-Huge | 32 | 1280 | 5120 | 16 | 632M |

$$\mathbf{E} \in \mathbb{R}^{(P^2 \cdot C) \times D}, \, \mathbf{E}_{pos} \in \mathbb{R}^{(N+1) \times D}$$
 (1)

$$\ell = 1 \dots L \tag{2}$$

$$\ell = 1 \dots L \tag{3}$$

Table 1: Details of Vision Transformer mod



4)

CLASS torch.nn.MultiheadAttention(embed_dim, num_heads, dropout=0.0, bias=True, add_bias_kv=False, add_zero_attn=False, kdim=None, vdim=None, batch_first=False, device=None, dtype=None) [SOURCE]

Allows the model to jointly attend to information from different representation subspaces.

Method described in the paper: Attention Is All You Need.

Multi-Head Attention is defined as:

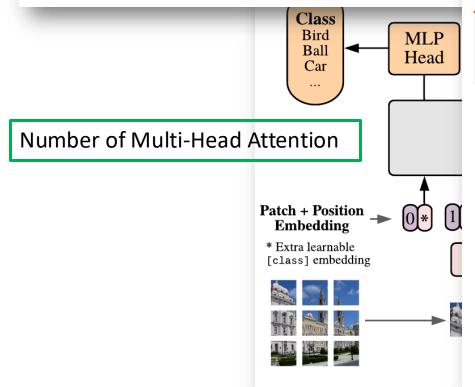
$$MultiHead(Q, K, V) = Concat(head_1, ..., head_h)W^O$$

where $head_i = Attention(QW_i^Q, KW_i^K, VW_i^V)$.

nn.MultiHeadAttention will use the optimized implementations of scaled_dot_product_attention() when possible.

In addition to support for the new scaled_dot_product_attention() function, for speeding up Inference, MHA will use fastpath inference with support for Nested Tensors, iff:

• self attention is being computed (i.e., query, key, and value are the same tensor).



VisionTransformer

The VisionTransformer model is based on the An Image is Worth 16x16 Words: Transformers for Image Recognition at Scale paper.

Model builders

The following model builders can be used to instantiate a VisionTransformer model, with or without pre-trained weights. All the model builders internally rely on the toxchvision.models.vision_transformer.VisionTransformer base class. Please refer to the source code for more details about this class.

| <pre>vit_b_16(*[, weights, progress])</pre> | Constructs a vit_b_16 architecture from An Image is Worth 16x16 Words: Transformers for Image Recognition at Scale. |
|---|---|
| <pre>vit_b_32(*[, weights, progress])</pre> | Constructs a vit_b_32 architecture from An Image is Worth 16x16 Words: Transformers for Image Recognition at Scale. |
| <pre>vit_1_16(*[, weights, progress])</pre> | Constructs a vit_l_16 architecture from An Image is Worth 16x16 Words: Transformers for Image Recognition at Scale. |
| <pre>vit_1_32(*[, weights, progress])</pre> | Constructs a vit_l_32 architecture from An Image is Worth 16x16 Words: Transformers for Image Recognition at Scale. |
| <pre>vit_h_14(*[, weights, progress])</pre> | Constructs a vit_h_14 architecture from An Image is Worth 16x16 Words: Transformers for Image Recognition at Scale. |

| | | ViT-B/16 | ViT-B/32 | ViT-L/16 | ViT-L/32 | ViT-H/14 |
|--------------|--------------------|----------|----------|----------|----------|----------|
| ImageNet | CIFAR-10 | 98.13 | 97.77 | 97.86 | 97.94 | - |
| | CIFAR-100 | 87.13 | 86.31 | 86.35 | 87.07 | - |
| | ImageNet | 77.91 | 73.38 | 76.53 | 71.16 | - |
| | ImageNet ReaL | 83.57 | 79.56 | 82.19 | 77.83 | - |
| | Oxford Flowers-102 | 89.49 | 85.43 | 89.66 | 86.36 | - |
| | Oxford-IIIT-Pets | 93.81 | 92.04 | 93.64 | 91.35 | - |
| ImageNet-21k | CIFAR-10 | 98.95 | 98.79 | 99.16 | 99.13 | 99.27 |
| | CIFAR-100 | 91.67 | 91.97 | 93.44 | 93.04 | 93.82 |
| | ImageNet | 83.97 | 81.28 | 85.15 | 80.99 | 85.13 |
| | ImageNet ReaL | 88.35 | 86.63 | 88.40 | 85.65 | 88.70 |
| | Oxford Flowers-102 | 99.38 | 99.11 | 99.61 | 99.19 | 99.51 |
| | Oxford-IIIT-Pets | 94.43 | 93.02 | 94.73 | 93.09 | 94.82 |
| JFT-300M | CIFAR-10 | 99.00 | 98.61 | 99.38 | 99.19 | 99.50 |
| | CIFAR-100 | 91.87 | 90.49 | 94.04 | 92.52 | 94.55 |
| | ImageNet | 84.15 | 80.73 | 87.12 | 84.37 | 88.04 |
| | ImageNet ReaL | 88.85 | 86.27 | 89.99 | 88.28 | 90.33 |
| | Oxford Flowers-102 | 99.56 | 99.27 | 99.56 | 99.45 | 99.68 |
| | Oxford-IIIT-Pets | 95.80 | 93.40 | 97.11 | 95.83 | 97.56 |

Table 5: Top1 accuracy (in %) of Vision Transformer on various datasets when pre-trained on ImageNet, ImageNet-21k or JFT300M. These values correspond to Figure 3 in the main text. Models are fine-tuned at 384 resolution. Note that the ImageNet results are computed without additional techniques (Polyak averaging and 512 resolution images) used to achieve results in Table 2.